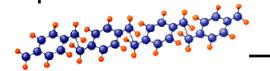
#### Downstream Etching of Parylene-N Films

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# Significance of Research

- Performance advantage
  - Parylene's lower dielectric constant, relative to silicon dioxide, offers increased performance
- Environmental advantage
  - Use of oxygen plasma as the dielectric etchant gas eliminates the need for perfluorinated compounds(PFCs) in IC manufacturing
    - $\Rightarrow$  PFCs are undesirable greenhouse gases



## **Research Goals**

- Characterize downstream etching of parylene-n
  - Investigate effects of process variables on etch performance
    - Temperature
    - Pressure
    - Plasma power
    - Total gas flow
  - Develop experimentally-validated transport and reaction models

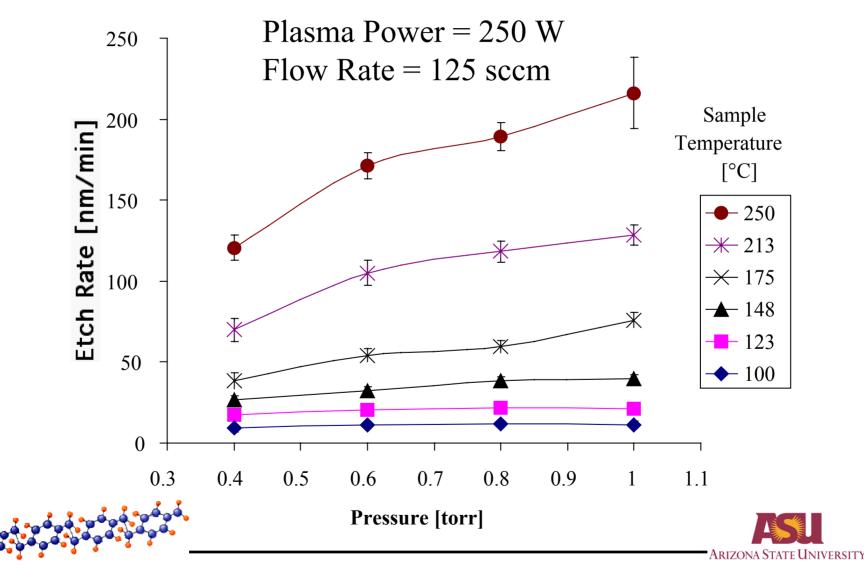


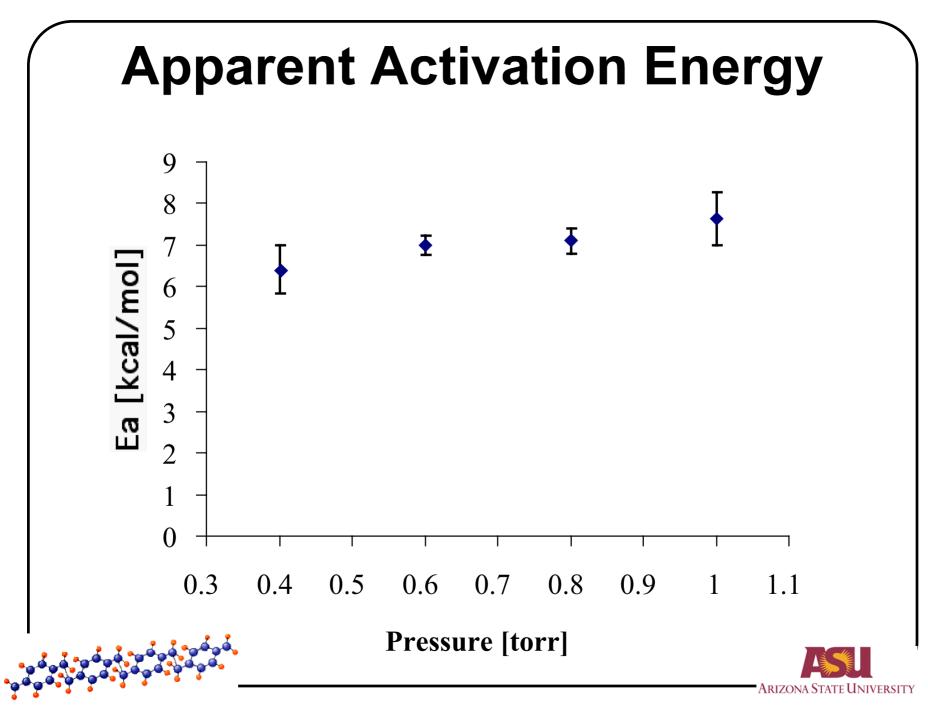
## **Downstream Etching Apparatus**

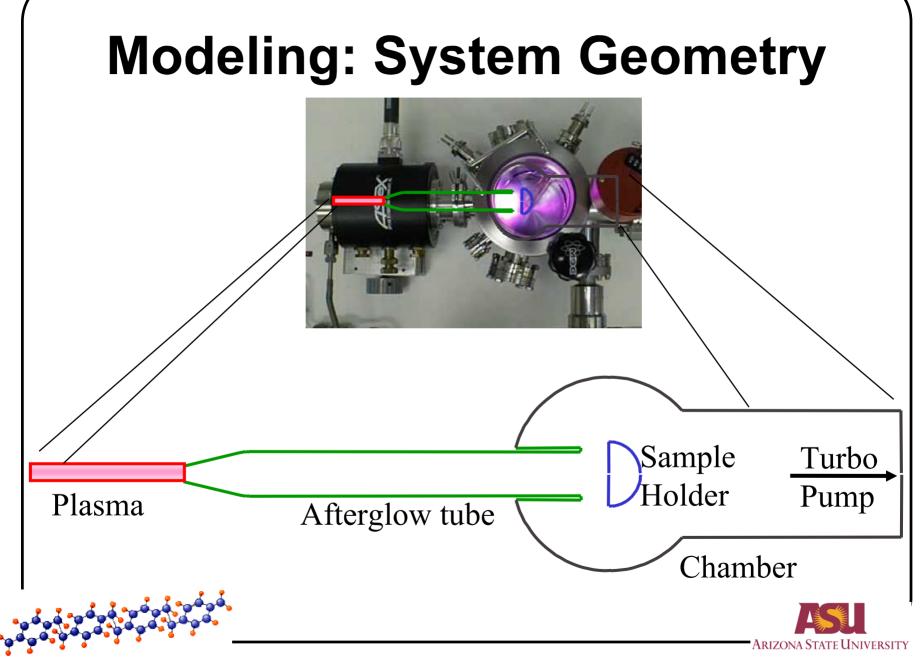
- 250 W Astex microwave generator to create downstream oxygen plasma
- Base pressure =  $4x10^{-7}$ Torr
- Temperature controlled substrate holder



#### Experimental Results: Etch Rate as a Function of Temperature and Pressure







#### **Plasma Model**

- CSTR reactor
  - Assumes uniform microwave intensity

$$F_{i,in} = F_{i,out} + (-r_i)V$$
  
$$F_{i,in} \longrightarrow F_{i,out}$$

– Generation and recombination reactions

$$\mathbf{r}_1: \mathbf{O}_2 + e \rightarrow 2\mathbf{O} + e$$

$$r_2: 2O + O_2 \rightarrow 2O_2$$

$$r_3: 3O \rightarrow O + O_2$$

$$r_4: O+2O_2 \rightarrow O_3+O_2$$

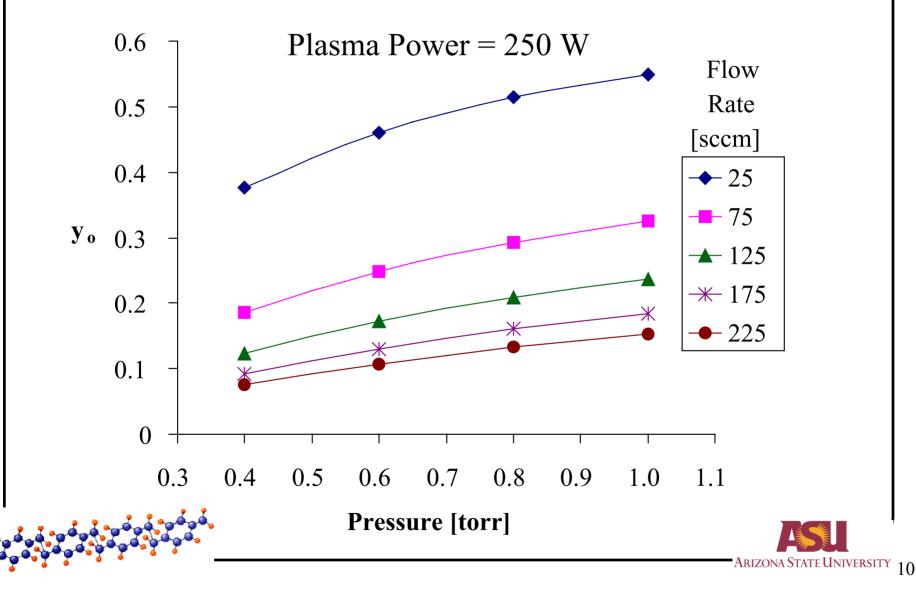
$$r_5: 2O + S \rightarrow O_2 + S$$

## Plasma Model

- Rate constants taken from literature
- Four equations;
  - three species balances
  - molar balance ( $\Sigma y_i = 1$ )
- Used result as a boundary condition for the transport model



#### Results: Atomic Oxygen Mole Fraction as a Function of Pressure and Flow Rate



#### **Transport Model**

• Dimensionless quantities

$$v_r^* = \frac{v_r}{V}, v_z^* = \frac{v_z}{V}, z^* = \frac{z}{D}, r^* = \frac{r}{D}, y_o = \frac{n_o}{N}, P^* = \frac{(P - P_o)}{\rho V^2}$$

• Dimensionless momentum equations

$$\operatorname{Re}\left(v_{r}^{*}\frac{\partial v_{z}^{*}}{\partial r^{*}}+v_{z}^{*}\frac{\partial v_{z}^{*}}{\partial z^{*}}\right)=\frac{1}{r^{*}}\frac{\partial}{\partial r^{*}}\left(r^{*}\frac{\partial v_{z}^{*}}{\partial r^{*}}\right)+\frac{\partial^{2}v_{z}^{*}}{\partial z^{*2}}-\operatorname{Re}\frac{\partial P^{*}}{\partial z^{*}}$$
$$\operatorname{Re}\left(v_{r}^{*}\frac{\partial v_{r}^{*}}{\partial r^{*}}+v_{z}^{*}\frac{\partial v_{r}^{*}}{\partial z^{*}}\right)=\frac{\partial}{\partial r^{*}}\left(\frac{1}{r^{*}}\frac{\partial}{\partial r^{*}}(r^{*}v_{z}^{*})\right)+\frac{\partial^{2}v_{r}^{*}}{\partial z^{*2}}-\operatorname{Re}\frac{\partial P^{*}}{\partial r^{*}}\right)$$



#### Transport Model, con't

- Dimensionless mass balance  $\left(\frac{1}{r^*}\frac{\partial}{\partial r^*}r^*\frac{\partial y_o}{\partial r^*} + \frac{\partial^2 y_o}{\partial z^{*2}}\right) - \operatorname{Pe}\left(v_r^*\frac{\partial y_o}{\partial r^*} + v_z^*\frac{\partial y_o}{\partial z^*}\right) - 2\operatorname{Da}_2 y_o^2(1-y_o) - 2\operatorname{Da}_3(y_o)^3 - \operatorname{Da}_4 y_o(1-y_o)^2 = 0$
- Pressure distribution

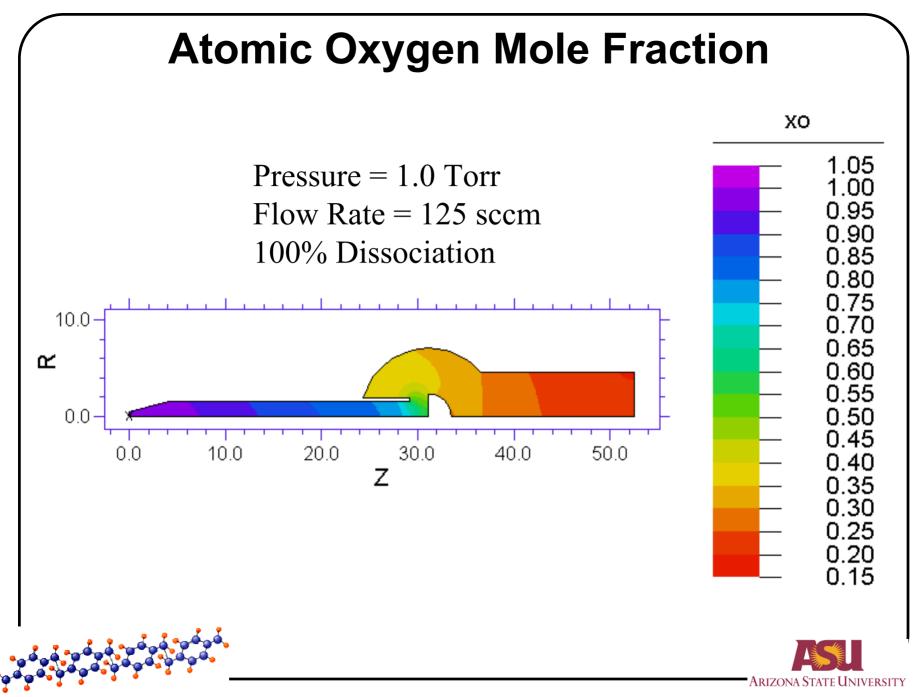
 $\frac{\partial^2 P^*}{\partial z^{*2}} + \frac{\partial^2 P^*}{\partial r^{*2}} = \frac{v_z^*}{r} \frac{\partial v_r^*}{\partial z^*} + \frac{v_r^*}{r} \frac{\partial v_r^*}{\partial r^*} + \frac{1}{\operatorname{Re} r^*} \frac{\partial}{\partial r^*} \left( \frac{\partial v_z^*}{\partial z^*} \right) - \left( \left( \frac{v_r^*}{r} \right)^2 + \left( \frac{\partial v_z^*}{\partial z^*} \right)^2 + \left( \frac{\partial v_r^*}{\partial r^*} \right)^2 + \frac{1}{\operatorname{Re} r^*} \frac{\partial^2 v_r^*}{\partial z^{*2}} + 2 \frac{\partial v_r^*}{\partial z^*} \frac{\partial v_z^*}{\partial r^*} \right) + \operatorname{Constant} \cdot \left( \frac{1}{r^*} \frac{\partial}{\partial r^*} (r^* v_r^*) + \frac{\partial v_z^*}{\partial z^*} \right)$ 



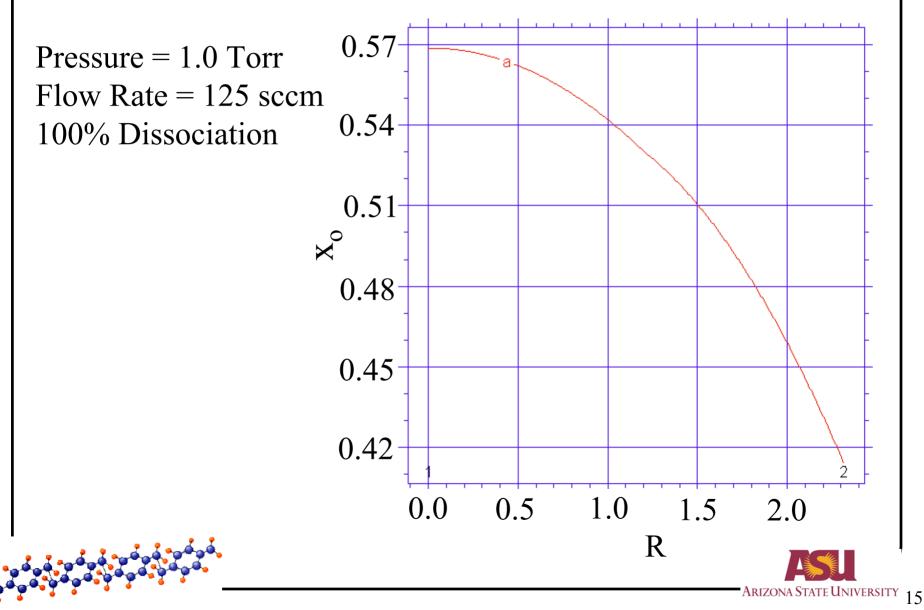
# **Boundary Conditions**

- Flow is developed at entrance
- No-slip at surfaces
- Mass flux at surfaces due to recombination
- Outlet dimensionless pressure is zero
- Inlet dimensionless pressure is determined by checking the velocity profiles

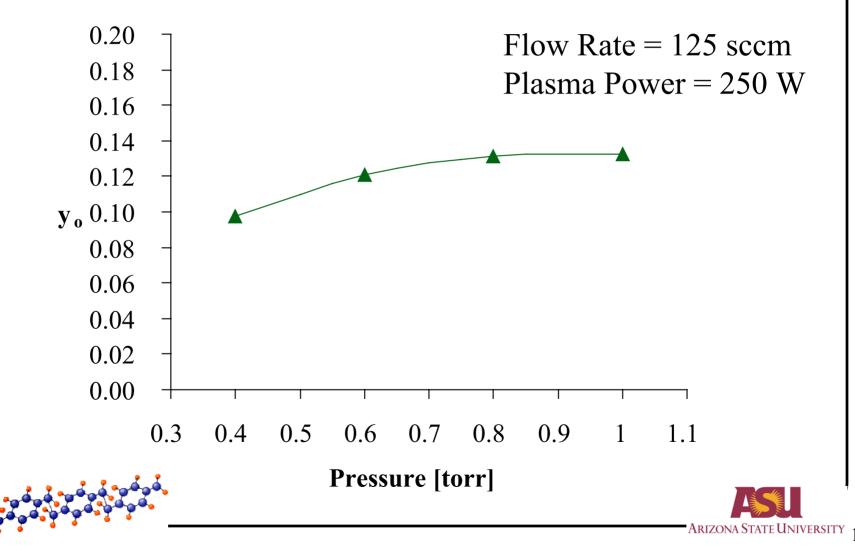




#### **Atomic Oxygen Profile Along Sample**



#### Results: Average Atomic Oxygen Mole Fraction on Sample as a Function of Pressure



## **Etch Model**

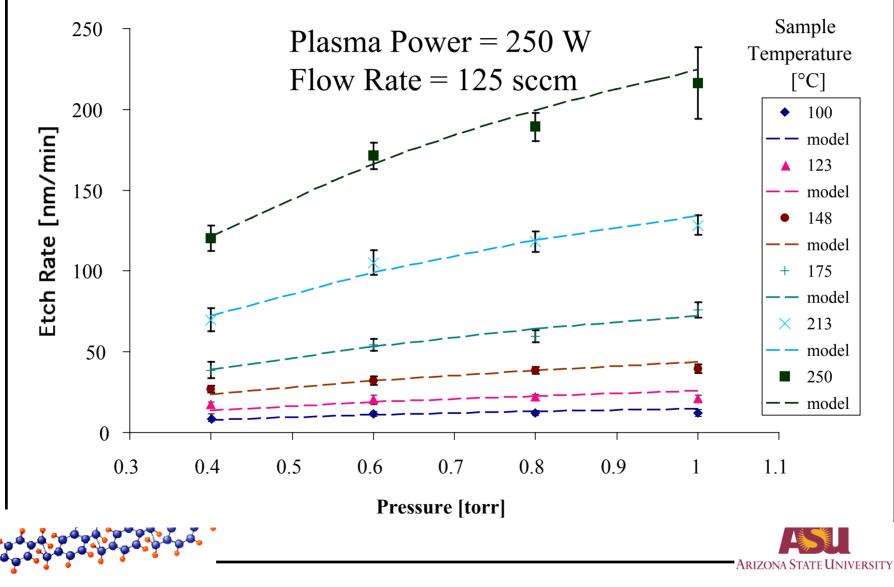
• Etch rate is dependent on oxygen atom concentration

Etch Rate = 
$$k_o \exp(-E_a / RT) N^{\alpha} y_o^{\alpha}$$

- $-k_{o}$  is a pre-exponential factor from experiment
- $-E_a$  is the activation energy from experiment
- N is the gas density
- $-y_{o}$  is the atomic oxygen mole fraction
- $-\alpha$  is the reaction order

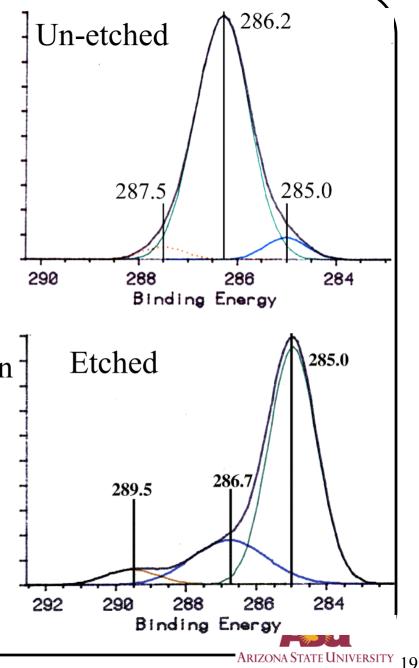


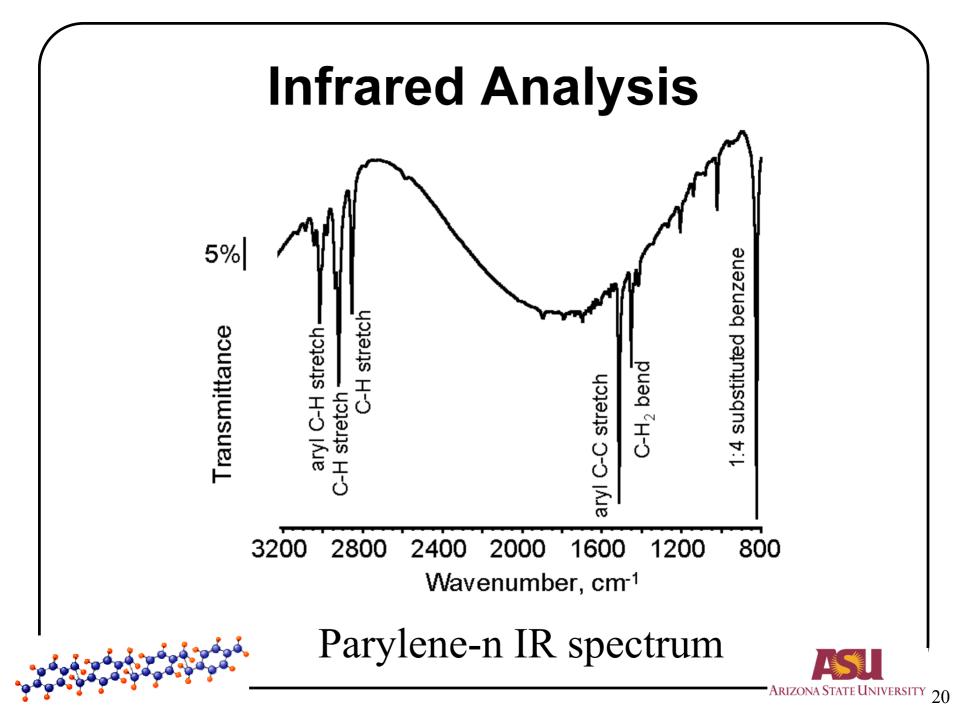
# Comparison of Model and Experiments for $\alpha$ =0.5

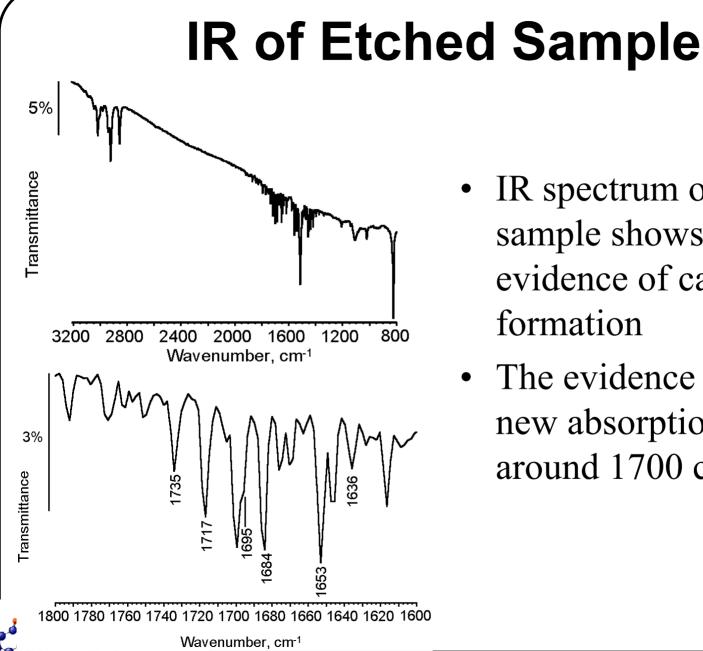


#### **XPS** Analysis

- Peak identification
  - 285.0 saturated carbon
  - 286.2-286.7 aromatic carbon
  - 287.5 oxygen contamination
  - 289.5 carboxylic acid
- Post-etch XPS shows the ratio of aromatic carbon to saturated carbon has been reduced
- Relative ratio information gives evidence of mechanism pathway

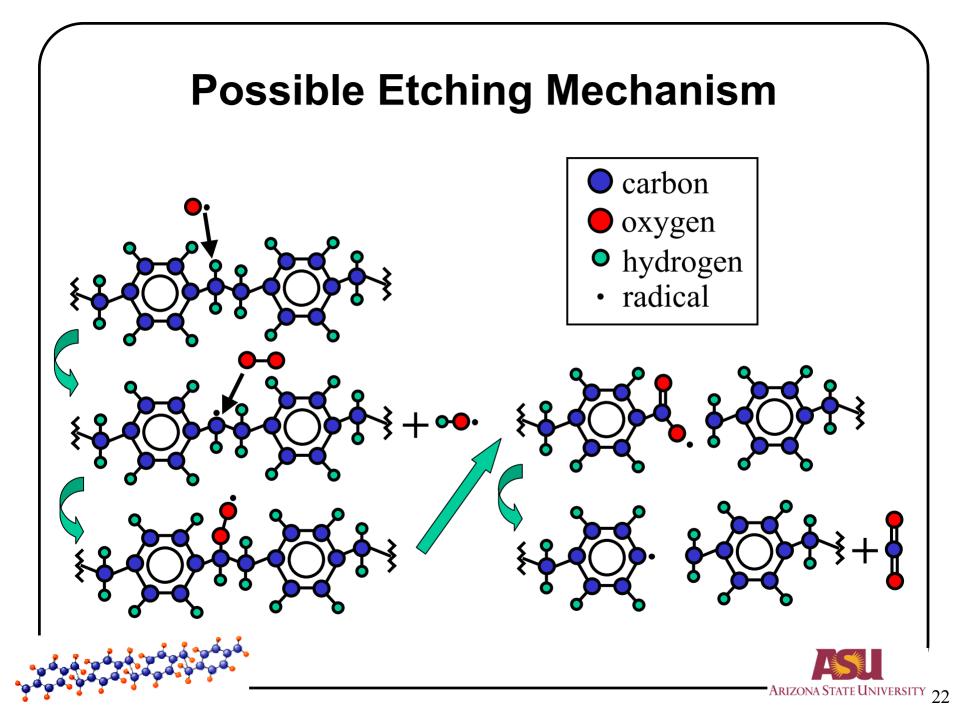






- IR spectrum of etched sample shows evidence of carbonyl formation
- The evidence being new absorption peaks around 1700 cm<sup>-1</sup>





## Conclusions

- Fundamental model for generation, transport and reaction in microwave system developed and validated
- Preliminary data suggests etch rate reaction order is 0.5 in oxygen atoms at conditions studied
- XPS and IR suggest carbonyl formation on the surface is one of the steps of the etching mechanism



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