

# **Subtask C-2-3**

## **Wafer Rinsing and Cleaning**

### *Progress Report on Optimization of Spin Cleaning*

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# Presentation Outline

- Motivation
- Introduction to particle adhesion
  - Ideal systems
  - Real systems
- Particle removal – A review
- Simulation of particle removal
- Spin cleaning – Modeling
- Conclusions
- Future work

# Motivation

- Particle contamination causes device failure and lower process yields
- To predict the conditions necessary for particle removal via hydrodynamics (spin cleaning), it is vital to estimate the adhesion force that holds a particle on a surface
- The rotating disc cleaner is used to remove particles from wafers
  - Undercutting and hydrodynamics contribute to removal
    - Particle removal studied under non-flow conditions (undercut)
    - Particle removal studied under flow conditions (hydrodynamics)
- Goal: model the removal and predict optimal conditions for the spin cleaning system and examine the applicability to systems of different chemistries and flow patterns

# Particle Adhesion: Ideal Systems

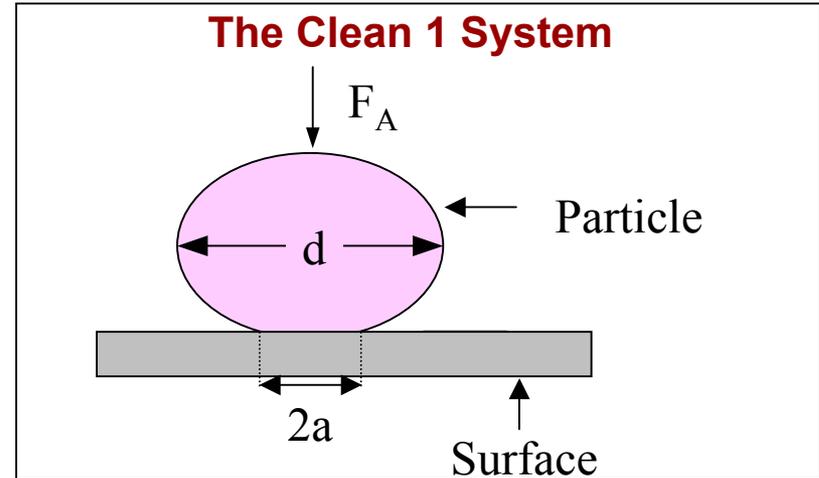
## DLVO Theory

$$F_A = F_{vdW} + F_{EDL}$$

$\uparrow$                        $\uparrow$                        $\uparrow$   
 Total                  van der                  Electrostatic  
 Adhesion              Waals                  Double Layer  
 Force                  Force                  Force

$$F_{vdW} = \frac{A_{132}d}{12h^2} \left( 1 + \frac{2a^2}{hd} \right)$$

$$F_{EDL} = \frac{\epsilon\epsilon_0 d (\psi_p^2 + \psi_s^2)}{4} \cdot \frac{\kappa e^{-\kappa h}}{1 - e^{-2\kappa h}} \cdot \left[ \frac{2\psi_p \psi_s}{\psi_p^2 + \psi_s^2} - e^{-\kappa h} \right]$$



A = System Hamaker constant

d = Particle diameter

a = Contact radius

h = Particle-surface separation distance

$\epsilon$  = Medium dielectric constant

$\zeta$  = Zeta potential ( $f(I, pH)$ )

$\kappa$  = Reciprocal double-layer thickness

I = Medium ionic strength

# Particle Adhesion: Real Systems

$$F_A = F_{\text{vdW}}(A, h, E, P, f_s, \epsilon_s, \sigma_s, f_p, \epsilon_p, \sigma_p, a, d)$$

*Cooper et al. (2001)*

$A$  = System Hamaker constant

$h$  = Particle-surface separation distance

$E$  = Elastic modulus

$P$  = Applied load

$f_s$  = Fraction of substrate covered by asperities

$\epsilon_s$  = Average asperity height on substrate

$\sigma_s$  = Standard deviation in asperity height on substrate

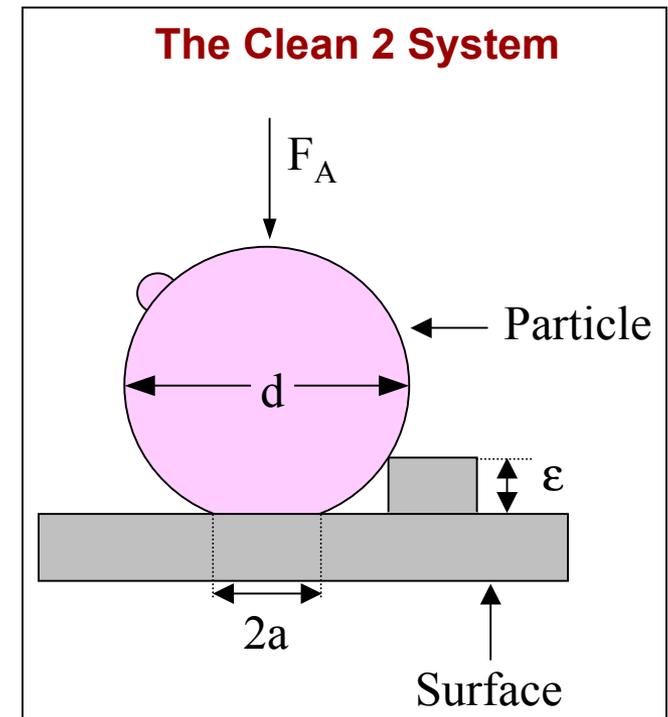
$f_p$  = Fraction of particle covered by asperities

$\epsilon_p$  = Average asperity height on particle

$\sigma_p$  = Standard deviation in asperity height on particle

$a$  = Contact radius

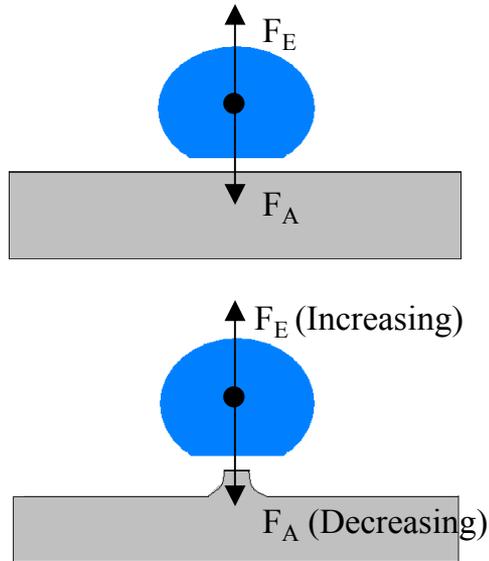
$d$  = Particle diameter



# Particle Removal: A Review

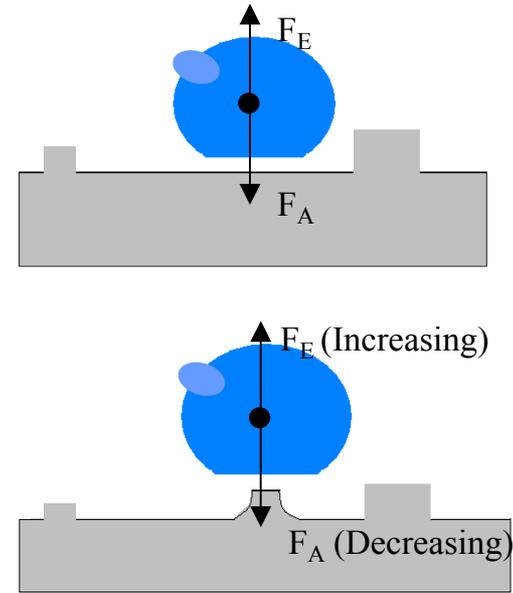
Particle removal can be modeled using various mechanisms

## Undercut Cleaning (Clean 1)



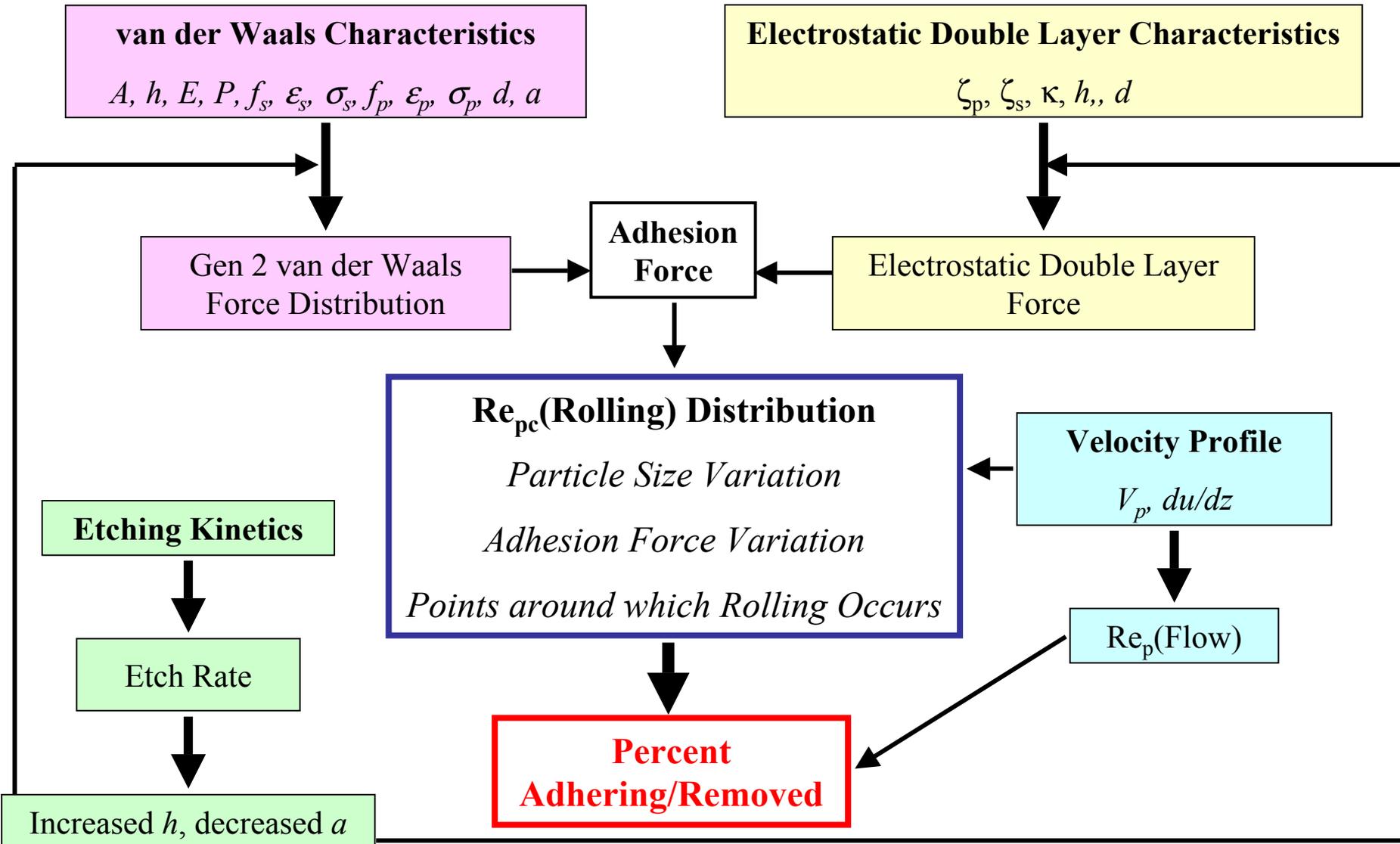
- The system consists of a smooth deforming particle on a smooth surface.
- Particle removal occurs solely due to undercutting (decreasing contact area).
- The forces acting on the particle are calculated using the DLVO theory.

## Undercut Cleaning (Clean 2)



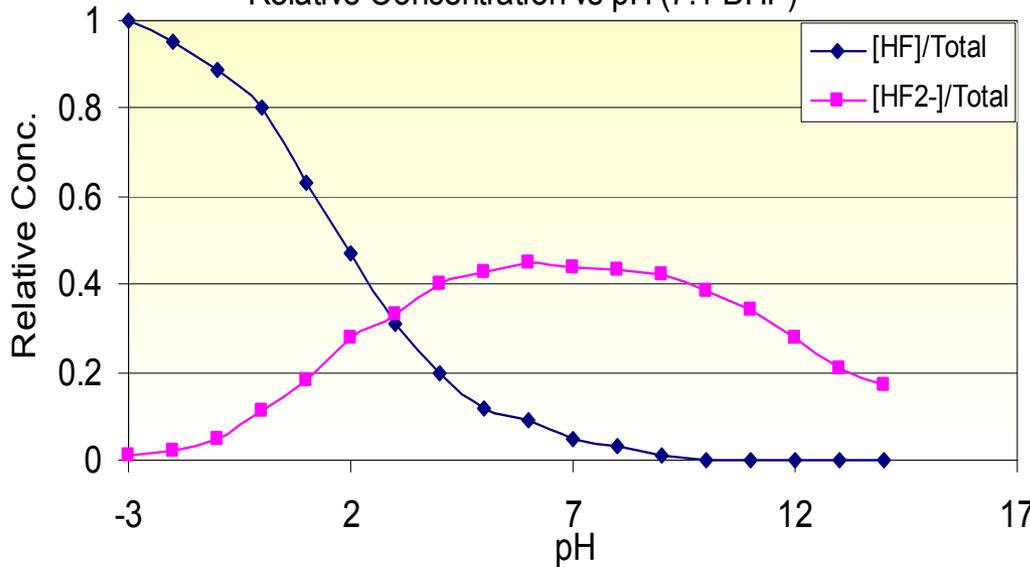
- The system consists of a rough particle on a rough surface.
- Particle removal occurs solely due to undercutting (decreasing contact area).
- The forces acting on the particle are calculated using the model by Cooper et al. (2001).

# Analysis Procedure

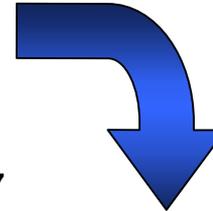
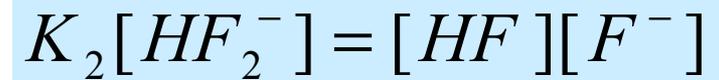
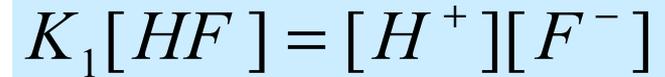


# Etch Rate Calculation (7:1 BHF, 25°C)

Relative Concentration vs pH (7:1 BHF)



## System Kinetics



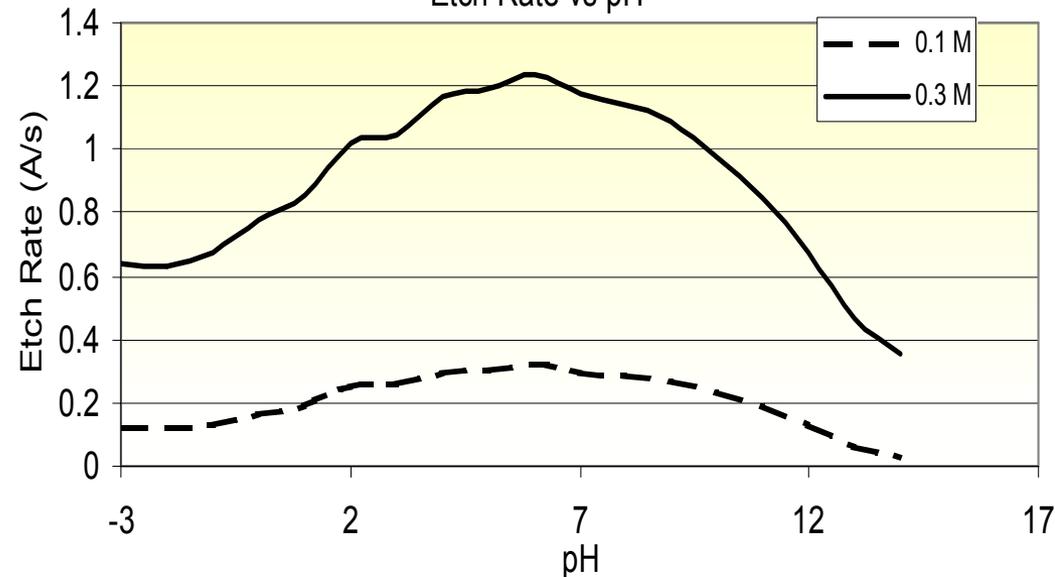
$$K_1 = 1.3 \times 10^{-3}$$

$$K_2 = 0.104$$

$$A = 2.5 \quad B = 9.66 \quad C = -0.14$$

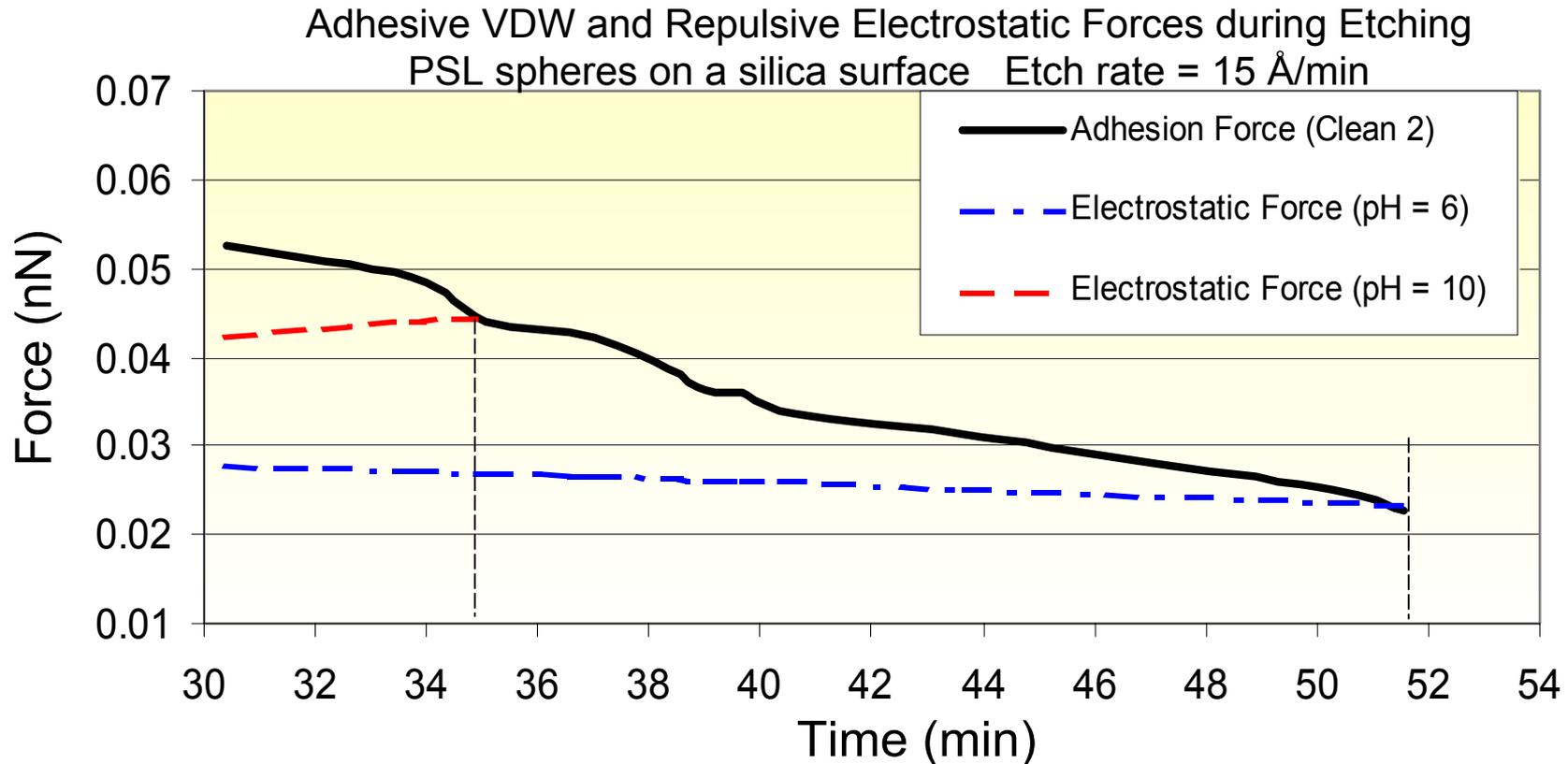
$$\text{Etch Rate} = A[HF] + B[HF_2^-] + C$$

Etch Rate vs pH



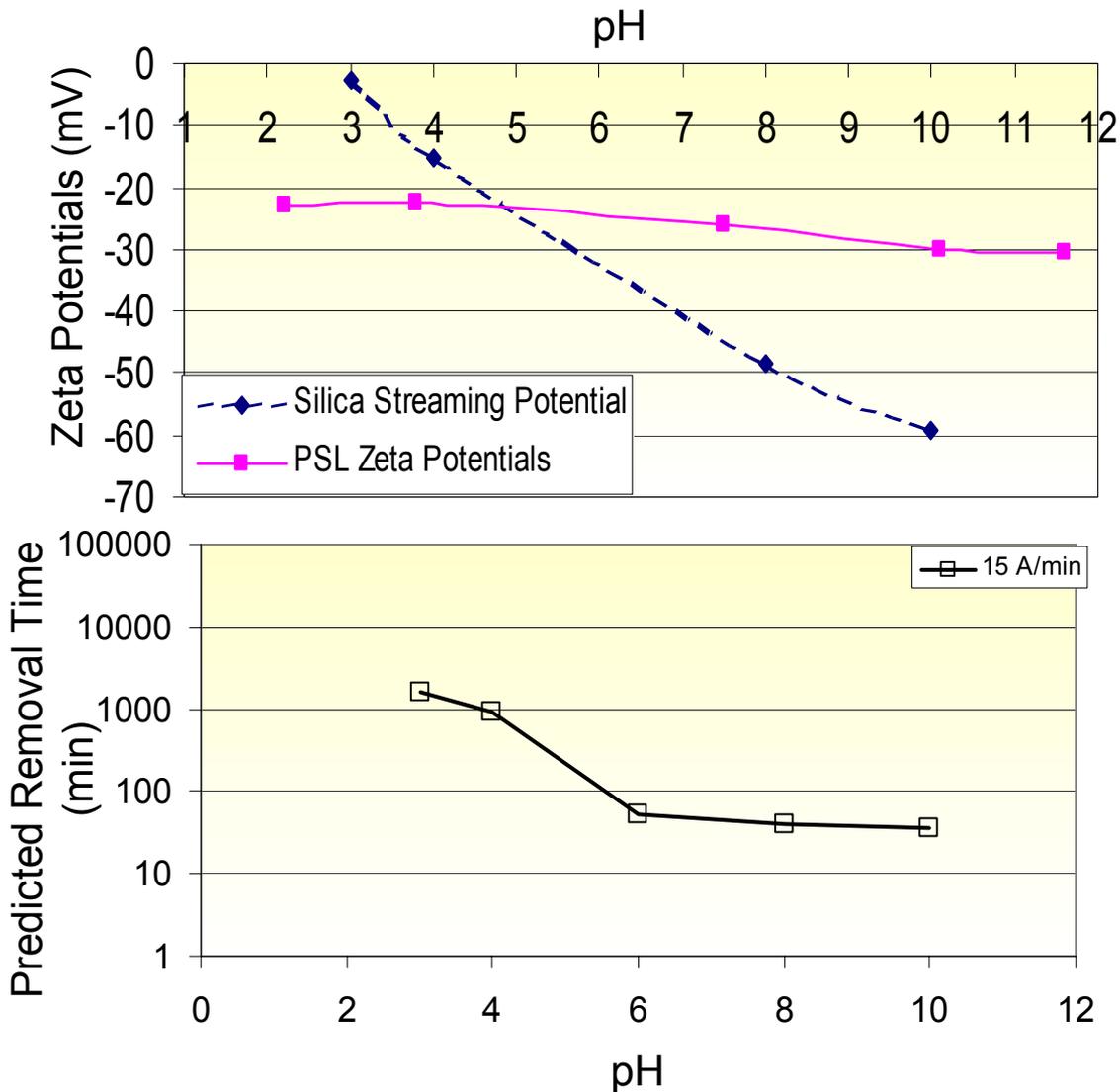
# Simulation Results: PSL Spheres on a Silica Surface

## Stagnant System



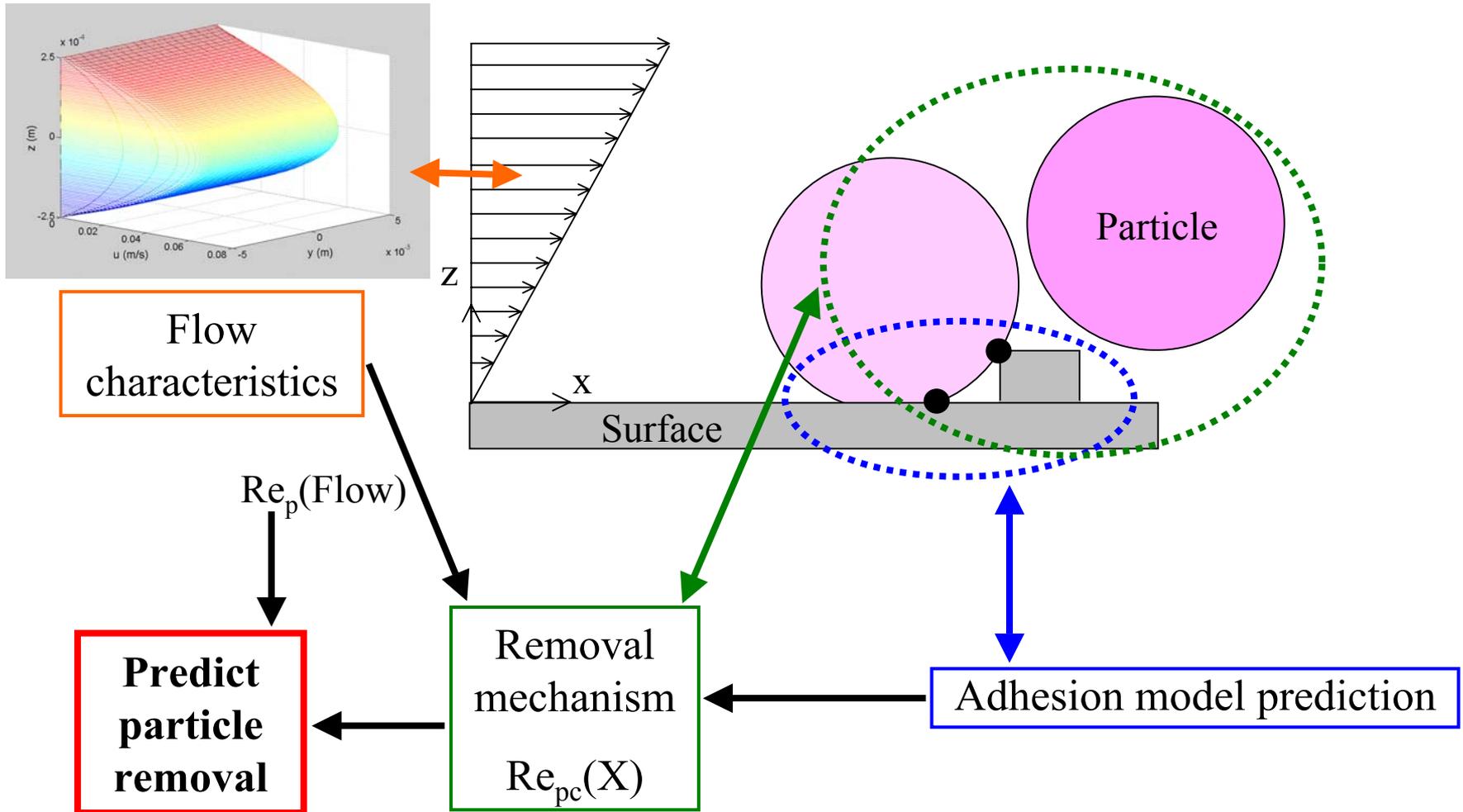
- The predicted adhesion force from the Clean 1 model is over an order of magnitude larger than that predicted by Clean 2
- The repulsive electrostatic force causes the removal of particles during undercutting and the magnitude of this force increases as the pH of the solution increases

# Effect of Zeta Potentials on Removal time



- Removal time for undercutting, is very large for low pH values and decreases rapidly as pH increases.
- Attributed to the fact that the PSL zeta potential and silica streaming potential are small at low pH values and rise as pH rises
- Predicted removal time is found to be 52, 39, and 35 min for pH values of 6, 8 and 10 respectively.

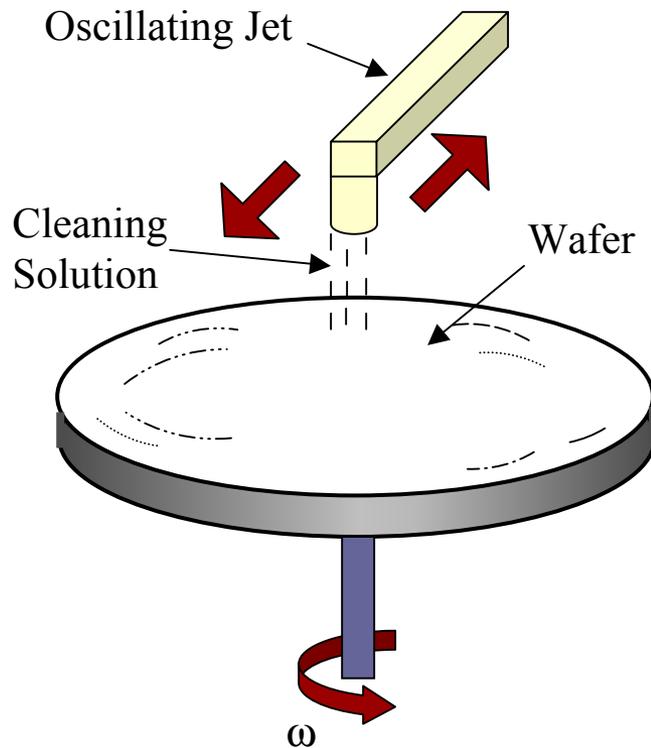
# Hydrodynamic Removal Model



# The Rotating Disc System

## Rotating disc

- wafer rotating at a constant angular velocity
- jet impinging on the wafer surface
- jet causes hydrodynamic removal of particulate contaminants



## Modeling the system

- Steady state
- Incompressible fluid
- Infinite rotating plane lamina
- Constant angular velocity
- Cylindrical co-ordinate system

# Solution: Transport Equations

## Velocity Components

$$\begin{array}{cccc}
 u = rf(z) & v = rg(z) & w = h(z) & p = p(z) \\
 \uparrow & \uparrow & \uparrow & \uparrow \\
 v_r & v_\theta & v_z & \text{pressure}
 \end{array}$$

## System of Equations

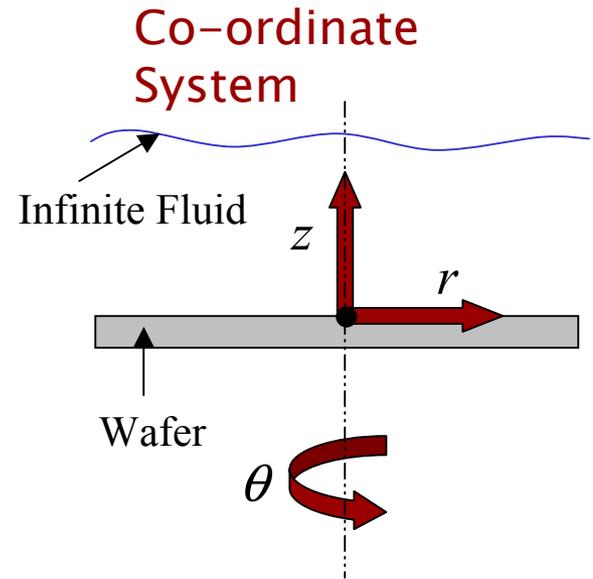
(Derived from the equations of motion and continuity for a Newtonian fluid)

$$f'' - g^2 + h \frac{df}{dz} = \nu \frac{d^2 f}{dz^2}$$

$$2fg + h \frac{dg}{dz} = \frac{d^2 g}{dz^2}$$

$$h \frac{dh}{dz} = -\frac{1}{\rho} \frac{dp}{dz} - 2\nu \frac{df}{dz}$$

$$2f + \frac{dh}{dz} = 0$$



## Boundary Conditions

$$u = 0, v = \omega r, w = 0 \quad \text{at } z = 0$$

$$u = 0, v = 0 \quad \text{at } z = \infty$$

$$w = \text{finite} \quad \text{at } z = \infty$$

# Cochran's\* Solution

Dimensionless distance ( $\zeta$ ) =  $(\nu / \omega)^{1/2} \zeta$

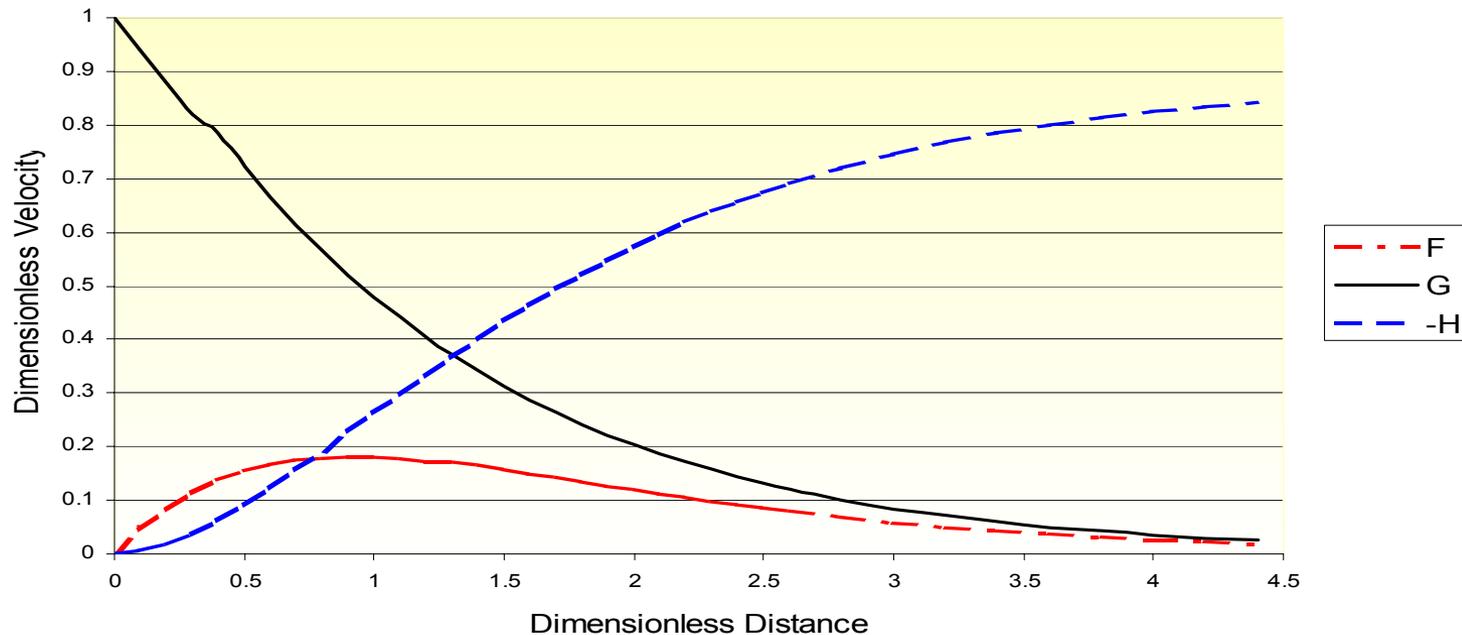
Dimensionless velocity components

$$f = \omega F$$

$$G = \omega G$$

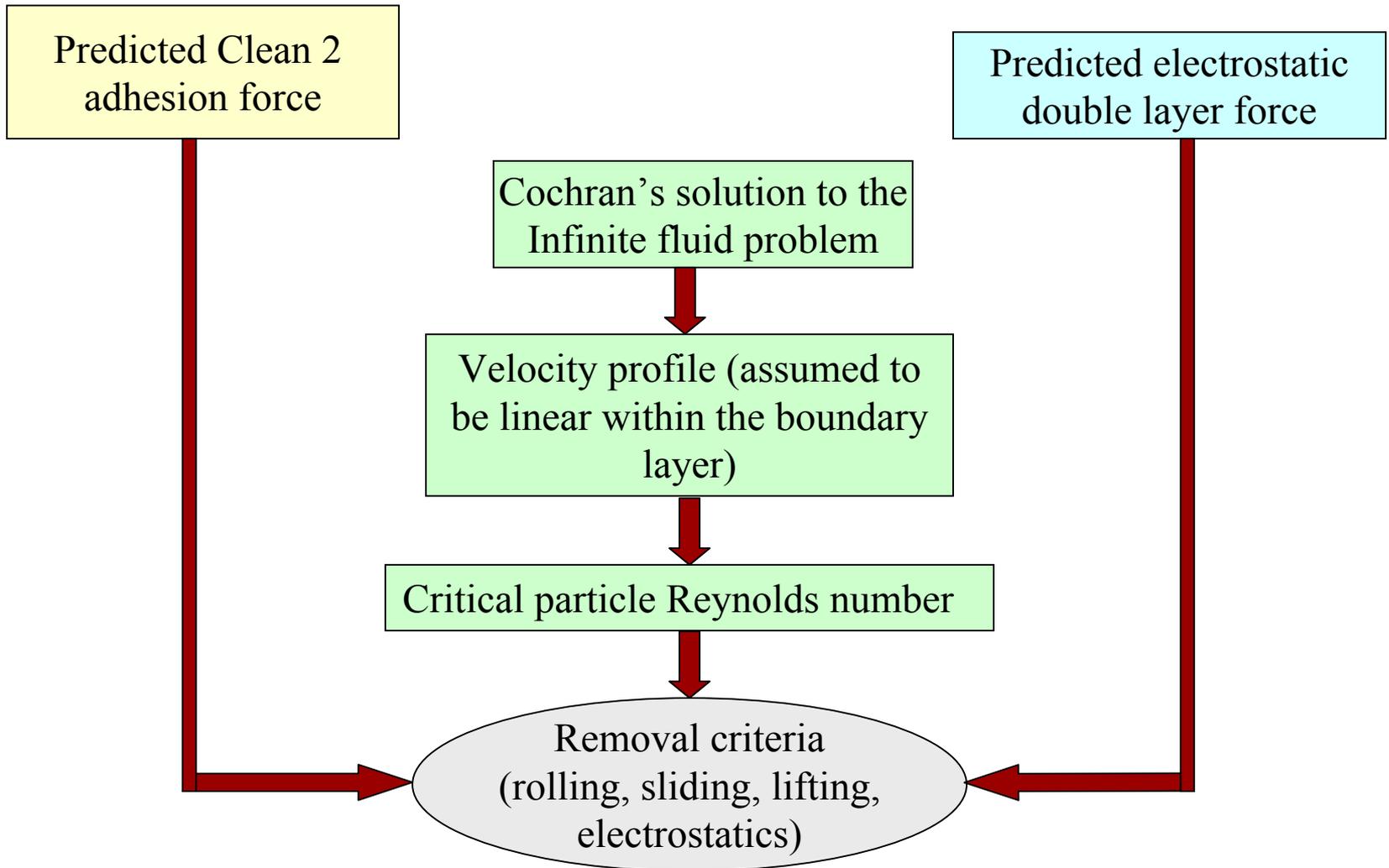
$$h = (\nu \omega)^{1/2} H$$

Dimensionless Velocity vs Dimensionless Distance

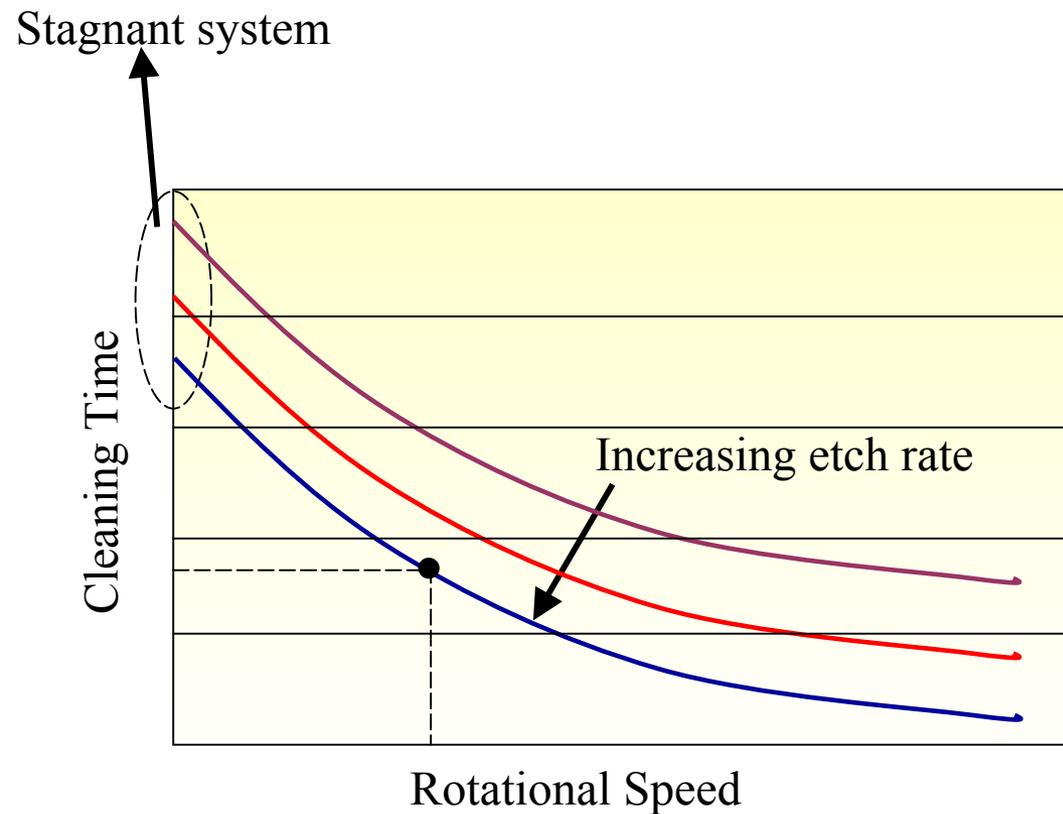


\*Cochran, W.G. (1934), The flow due to a rotating disk, *Proc. Cambridge Philos. Soc.*, **30**(3), 365-75

# Removal Model (Spin Clean System)



# Envisioned Outcome



- Modeling goal: Generalized approach to wafer cleaning
- Experimentally-validated models to predict cleaning conditions required for particle removal
- Model to be examined for varying chemistries and flow patterns

Cleaning curves functions of particle size and composition, wafer composition, solution composition

# Summary/Conclusions

- Adhesion force is a function of the particle diameter, separation distance, contact area, particle roughness, and surface roughness
- The electrostatic force is a function of the composition of the etching solution, the particle-wafer separation distance and the zeta potentials of the particle and surface
- Particle removal is determined by balance of van der Waals attraction, electrostatic repulsion (etching), and fluid flow
- In the rotating disc system, all three velocity components need to be examined in order to predict the flow velocity at the wafer-solution interface

# Future Work

- Combine hydrodynamic, electrostatic, and van der Waals force model to determine effects of fluid flow on particle removal during undercutting
- Determine the adhesion force of particles of interest (PSL, silica,  $\text{Si}_3\text{N}_4$ ) using atomic force microscopy and compare the predicted adhesion force and the experimental adhesion force
- Predict particle removal conditions using the simulation above for different etching solutions used in the rotating disc system
- Validate model predictions

# Acknowledgements

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